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DOCI solutions with pCCD optimized orbitals for H_4

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 $\verb+https://lcpq.github.io/pterosor$



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pCCD

Usual exponential ansatz:

$$|\Psi
angle=e^{\,\mathcal{T}}|0
angle$$

where the excitation operator

$$T=\sum_{ia}t^a_iP^\dagger_aP_i$$

and singlet paired operators

$$\mathsf{P}_{q}^{\dagger}=c_{qlpha}^{\dagger}c_{qeta}^{\dagger}$$

Substitution into the Schroedinger equation leads to

$$E = \langle 0 | e^{-T} H e^{T} | 0 \rangle$$
$$0 = \langle 0 | P_{i}^{\dagger} P_{a} e^{-T} H e^{T} | 0 \rangle$$





Equations for energy and t-amplitudes:

$$E = \langle 0|H|0\rangle + \sum_{ia} t_i^a v_{aa}^{ii}$$

$$0 = v_{ii}^{aa} + 2\left(f_a^a - f_i^j - \sum_j v_{aa}^{jj} t_j^a - \sum_b v_{bb}^{ij} t_j^a\right) t_i^a$$

$$- 2\left(2v_{ia}^{ia} - v_{ai}^{aj} - v_{aa}^{ij} t_i^a\right) t_i^a$$

$$+ \sum_b v_{bb}^{aa} t_i^b + \sum_j v_{ii}^{jj} t_j^a + \sum_{jb} v_{bb}^{jj} t_j^a t_i^b$$

where f_q^p is an element of the Fock operator and $v_{rs}^{pq} = \langle \phi_p \phi_q | V_{ee} | \phi_r \phi_s \rangle$ is a two-electron integral.



H₄, STO-6G



Figure: DOCI solutions for HF orbitals



H₄, STO-6G



Figure: DOCI solutions for HF orbitals (black) and for pCCD optimized orbitals (colored)



H_4 , STO-6G, 1 a_0



Figure: HF orbitals



H₄, STO-6G, 2 a₀



Figure: pCCD optimized orbitals



H₄, STO-6G, 3 a₀



Figure: pCCD optimized orbitals